



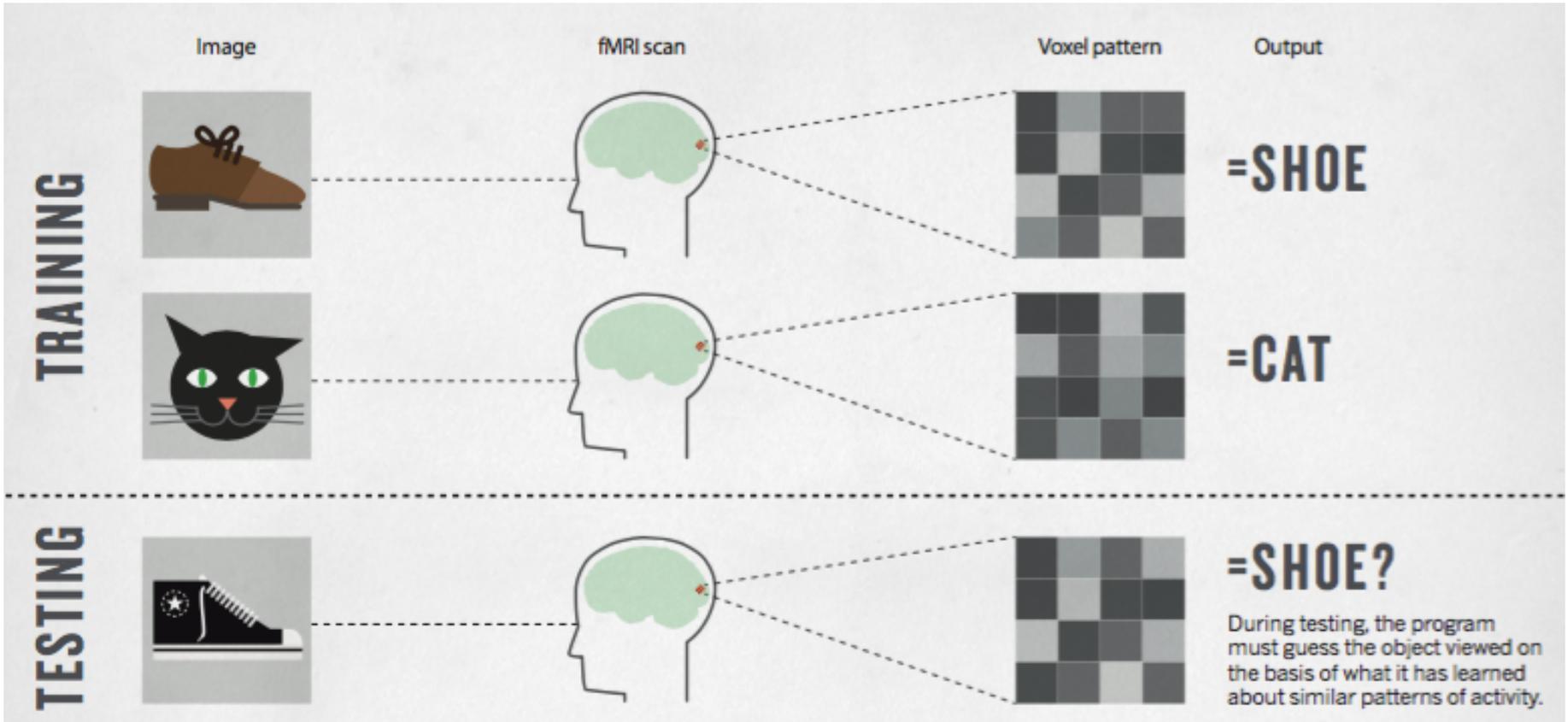
Decoding visual stimuli in human brain by using Anatomical Pattern Analysis on fMRI images

Muhammad Yousefnezhad, Daoqiang Zhang

Presented by: Muhammad Yousefnezhad

College of Computer Science & Technology
Nanjing University of Aeronautics and Astronautics

Motivation



[Smith, Nature, 2013]

Outline



1 Preliminaries

2 The Proposed Method

2.1 Feature Extraction

2.2 Classification Algorithm

3 Experiments

4 Conclusion

Modalities of Measurement

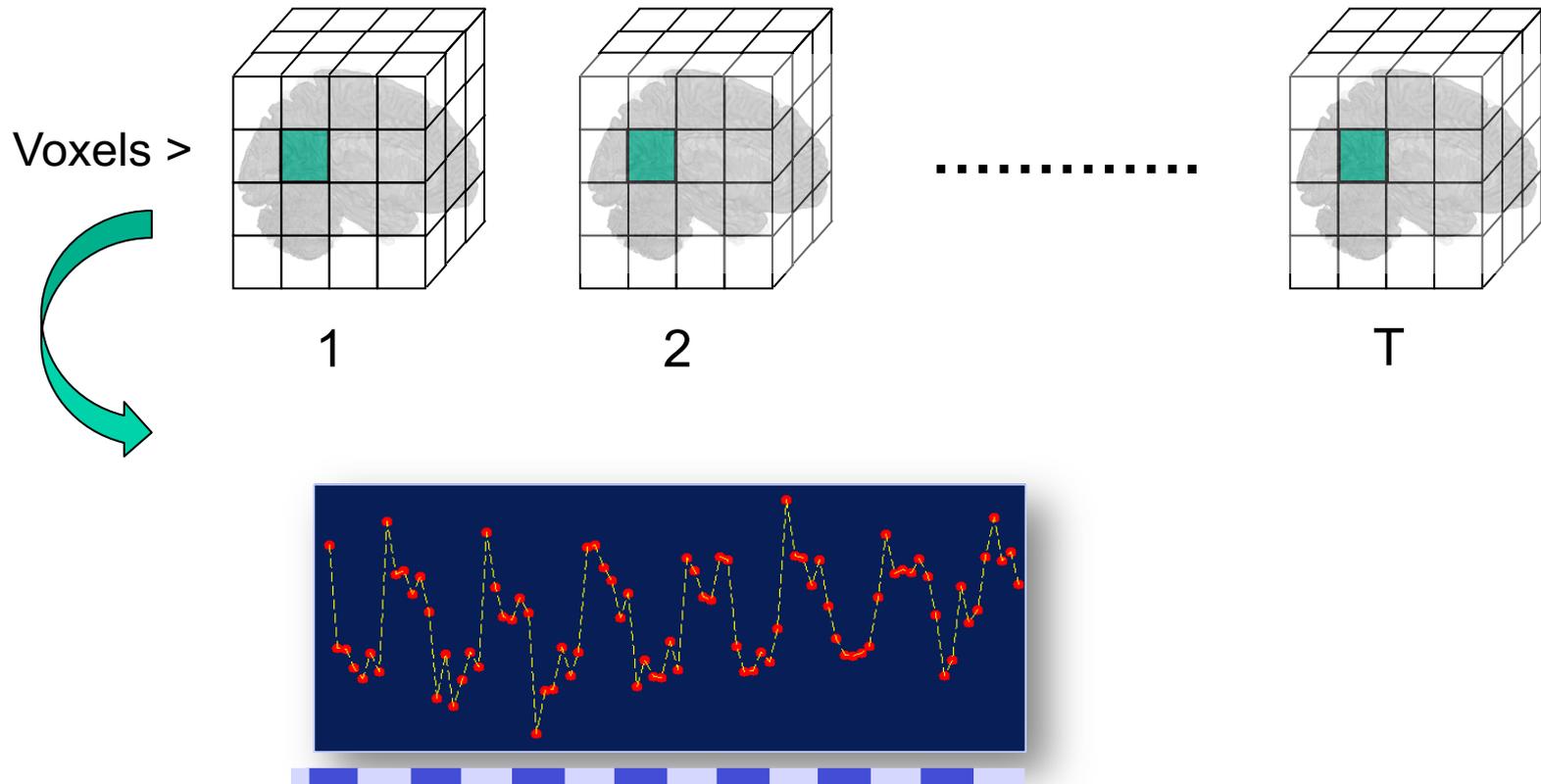


- ❑ Modalities of measure:
 - ✓ Single-unit recording
 - ✓ Electrocorticography (ECoG)
 - ✓ electroencephalography (EEG)
 - ✓ Magnetoencephalographic (MEG)
 - ✓ functional Magnetic Resonance Imaging (fMRI)

- ❑ The **spatial resolution of fMRI** allowed investigators to ask what **information is represented in a region** instead of **asking what a region's function is?**

- ❑ Our method contributions are:
 - ✓ Automatically detecting the Region of Interests (ROIs)
 - ✓ A new feature representation for removing noise and sparsity
 - ✓ A customized classification algorithm for brain decoding problems

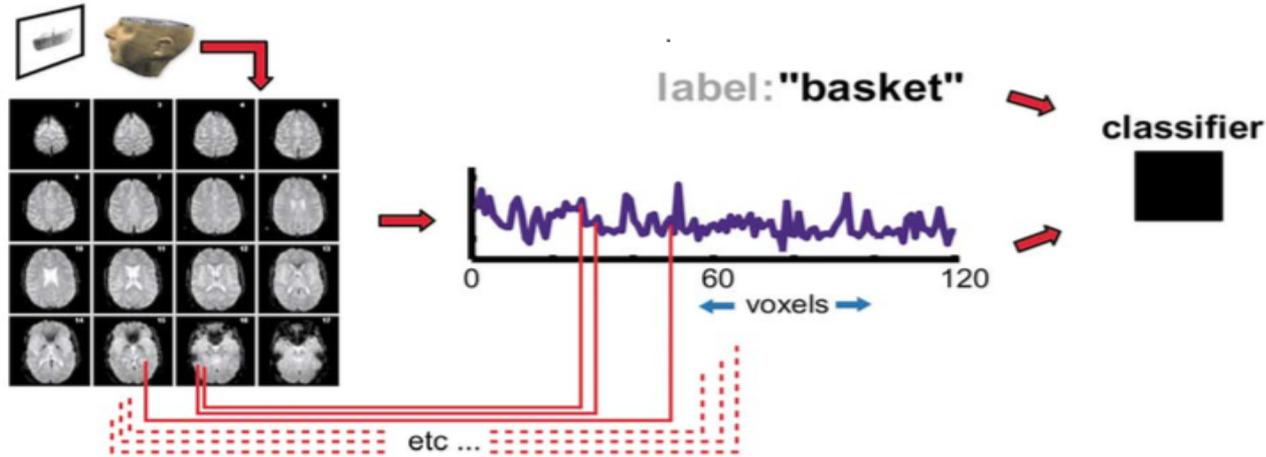
- Tracking the intensity over time gives us a time series.



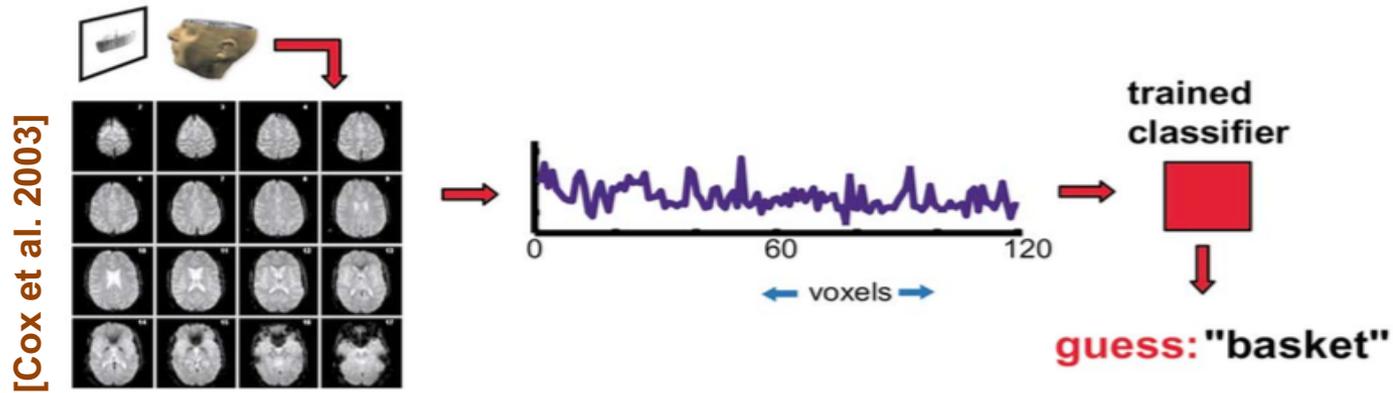
Multivariate Pattern Classification (MVP)



Training



Classification (during a subsequent session)



Outline



1 Preliminaries

2 The Proposed Method

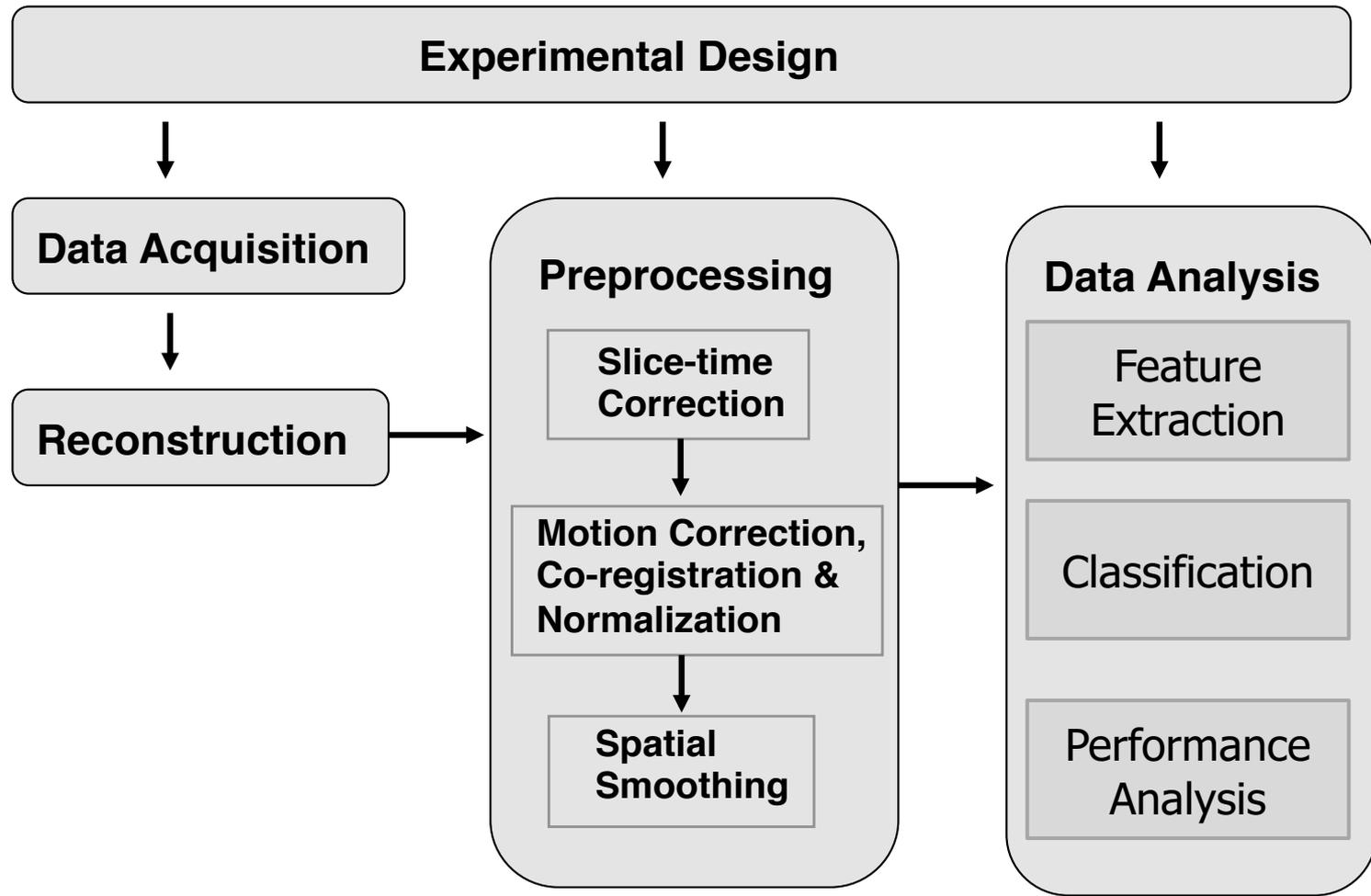
2.1 Feature Extraction

2.2 Classification Algorithm

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General framework of study



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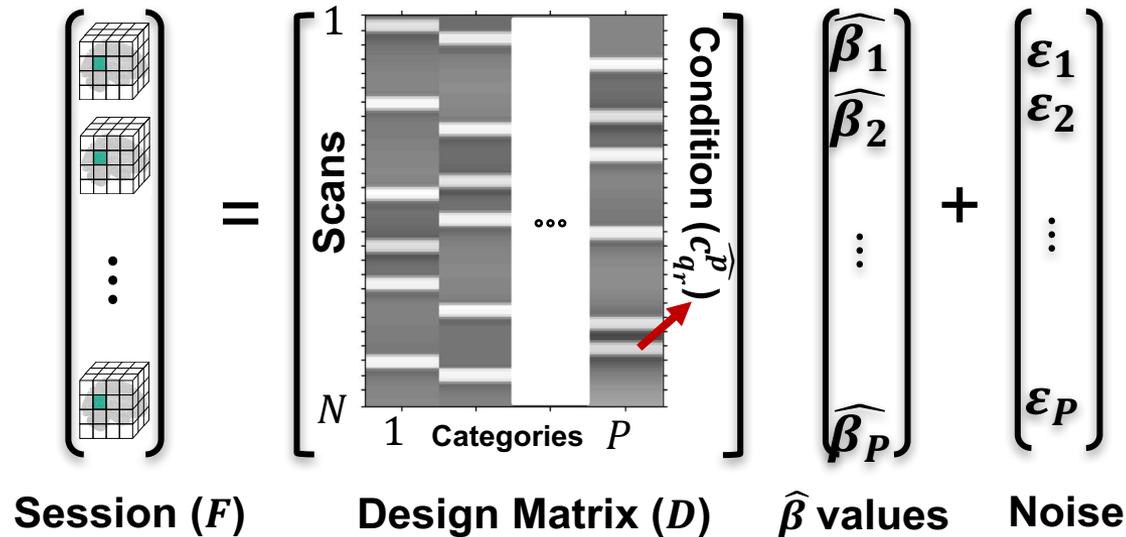
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General Linear Model for Each Session



$$F = D\hat{\beta} + \varepsilon$$

- This paper uses Generalized Least Squares (GLS) approach for estimating optimized solution:

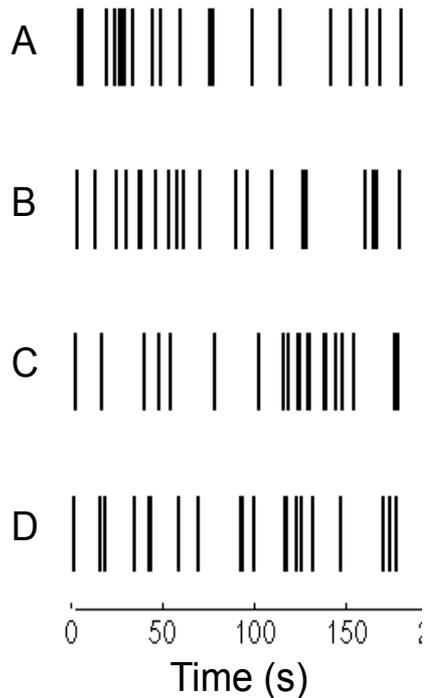
$$\hat{\beta} = (D^T V^{-1} D)^{-1} D^T V^{-1} F$$

$$Var(\varepsilon) = V\sigma^2 \neq I\sigma^2$$

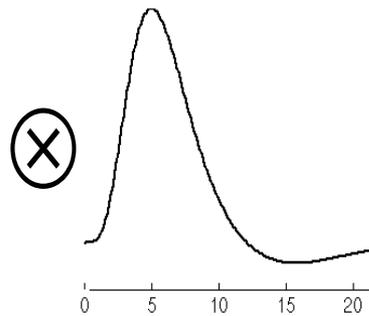
The first level analysis



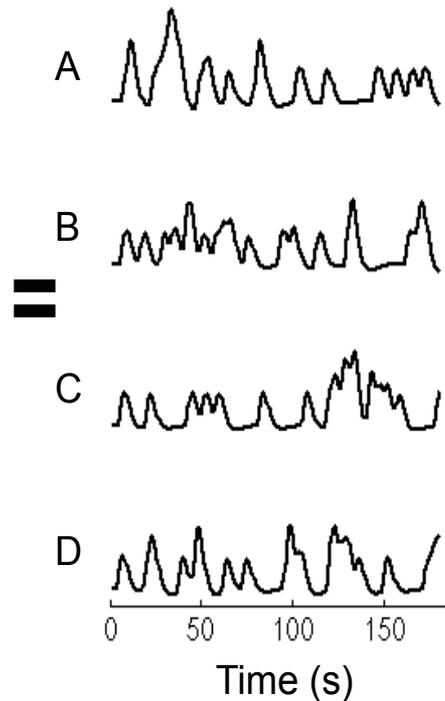
Indicator functions
(Onsets)



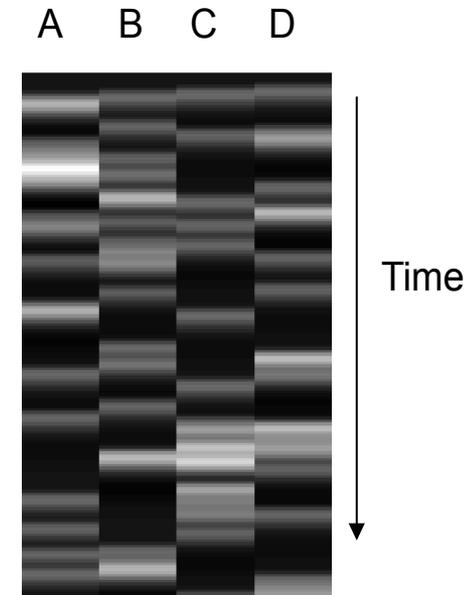
Assumed HRF
(Basis function)



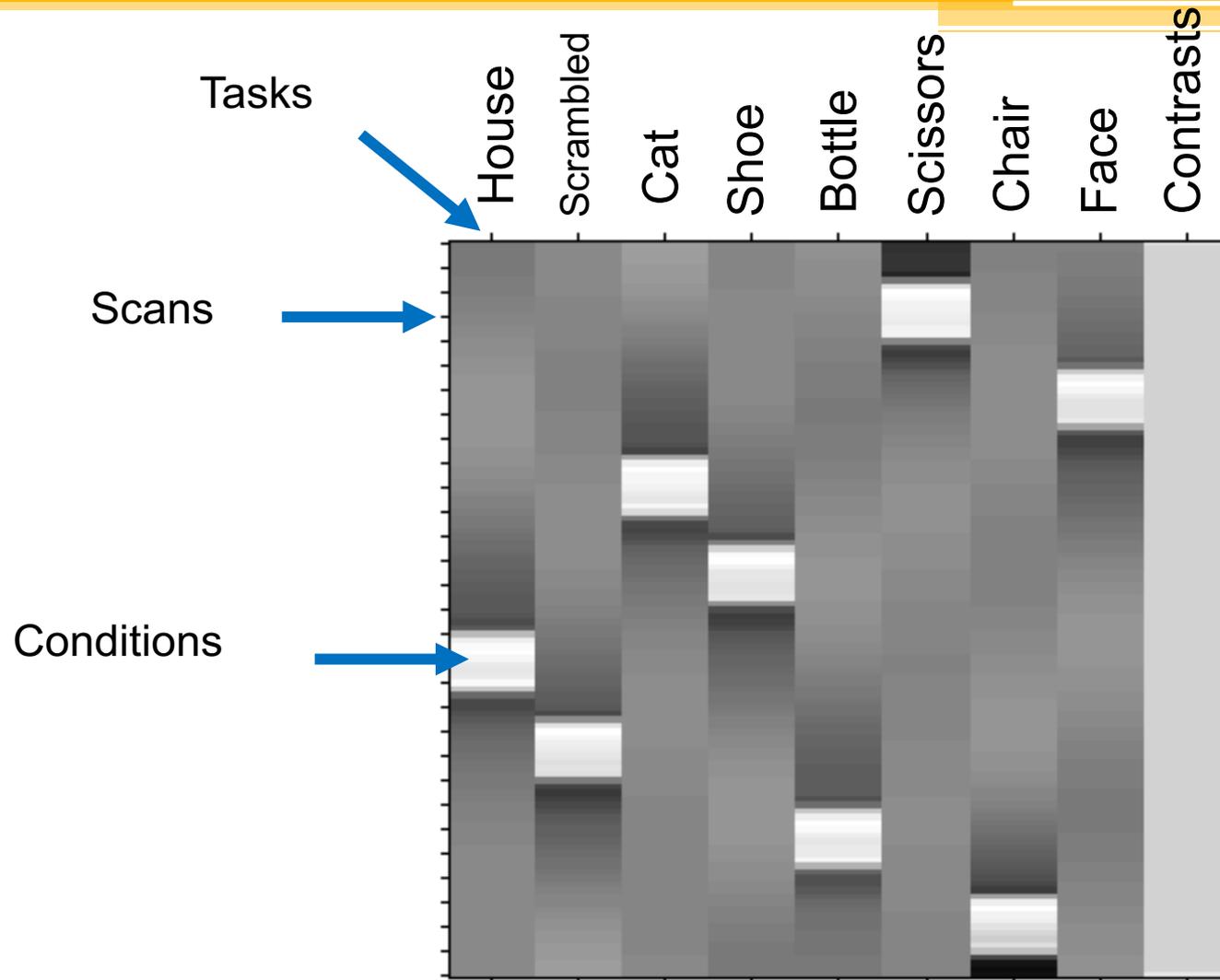
Design Matrix



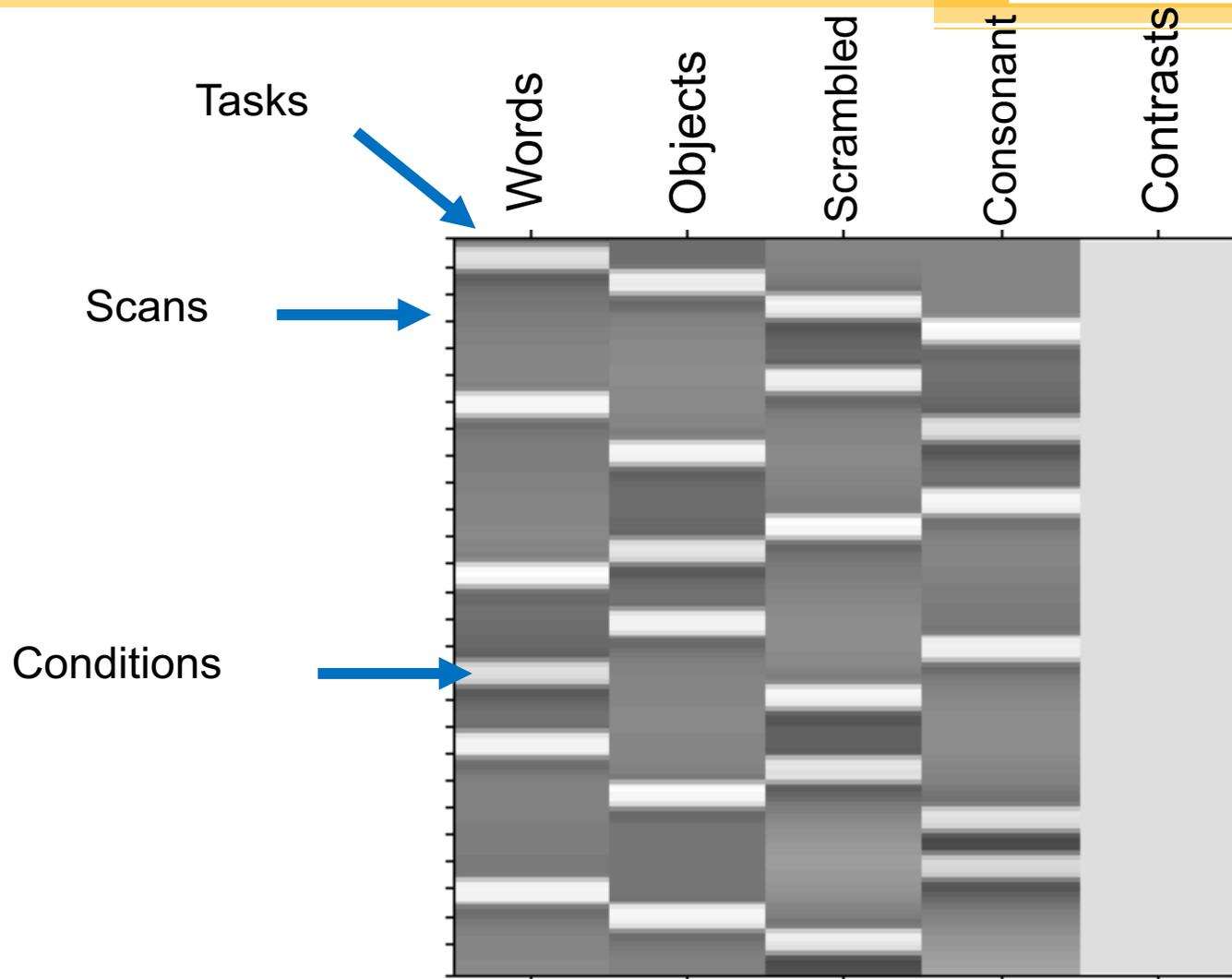
Design Matrix



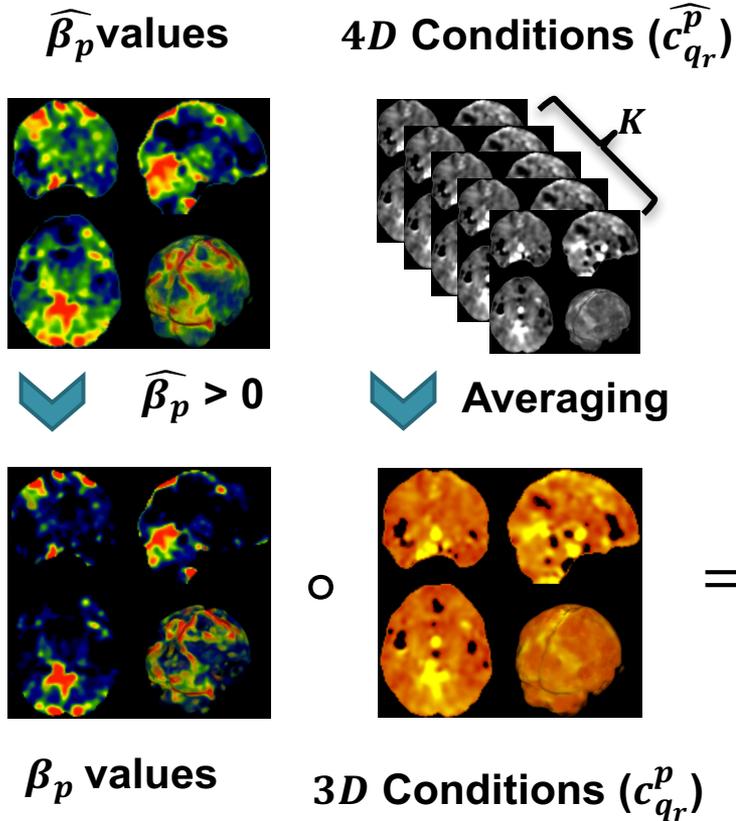
Example of Design Matrix



Example of Design Matrix (cont.)

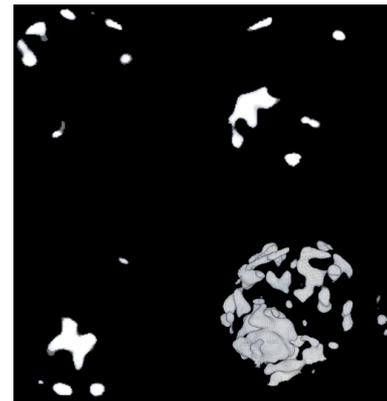


Feature Extraction



$$\hat{C} = \{\hat{c}_1^1, \hat{c}_2^1, \dots, \hat{c}_{Q_1}^1, \hat{c}_1^2, \hat{c}_2^2, \dots, \hat{c}_{Q_2}^2, \dots, \hat{c}_1^p, \hat{c}_2^p, \dots, \hat{c}_{Q_R}^p\}$$

$$C_{q_r}^p = \sum_K \hat{c}_{q_r}^p = \sum_{k=1}^{K_{q_r}^p} \hat{c}_{q_r}^p [k, :, :, :]$$



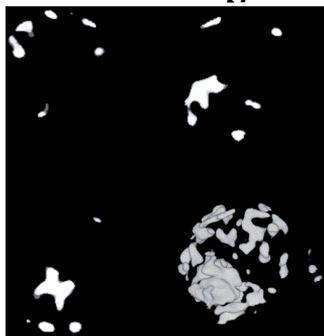
Eq. 3 ($\zeta_{q_r}^p$)

$$\zeta_{q_r}^p = \beta_p \circ C_{q_r}^p = \{\forall [x, y, z] \in C_{q_r}^p \implies (\zeta_{q_r}^p)_{[x, y, z]} = (\beta_p)_{[x, y, z]} \times (C_{q_r}^p)_{[x, y, z]}\} \quad (3)$$

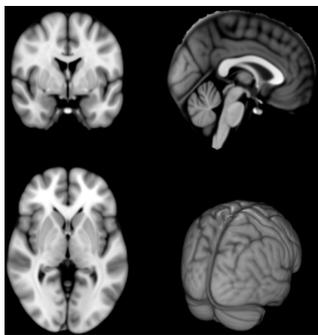
Feature Extraction (cont.)



Eq. 3 ($\zeta_{q_r}^p$)

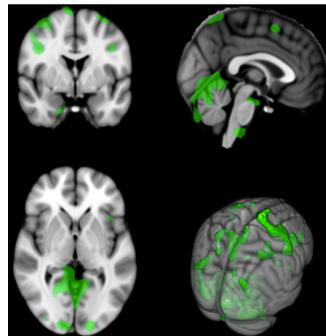


Registration

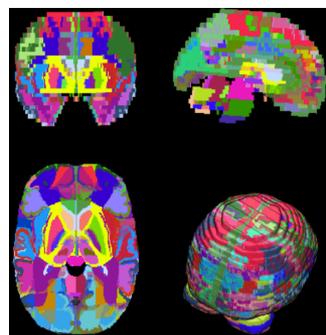


MNI 152 T1 1mm

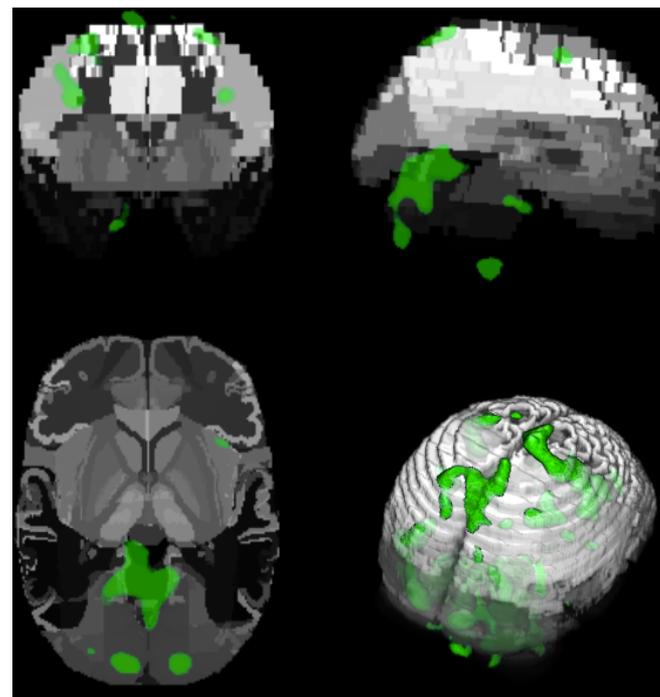
Standard Space ($\Xi_{q_r}^p$)



Alignment



Talairach Atlas



Extracted Feature for each stimulus

$$T^* = \operatorname{argmin}_{T \in S_T} (NMI(Ref, \Xi_{q_r}^p)) \quad (4)$$

$$\forall a_v = [x_v, y_v, z_v] \in A_l \implies \Gamma_{q_r}^p(l) = \frac{1}{|A_l|} \sum_{v=1}^{|A_l|} (\Xi_{q_r}^p)[a_v] = \frac{1}{|A_l|} \sum_{v=1}^{|A_l|} (\Xi_{q_r}^p)[x_v, y_v, z_v] \quad (5)$$

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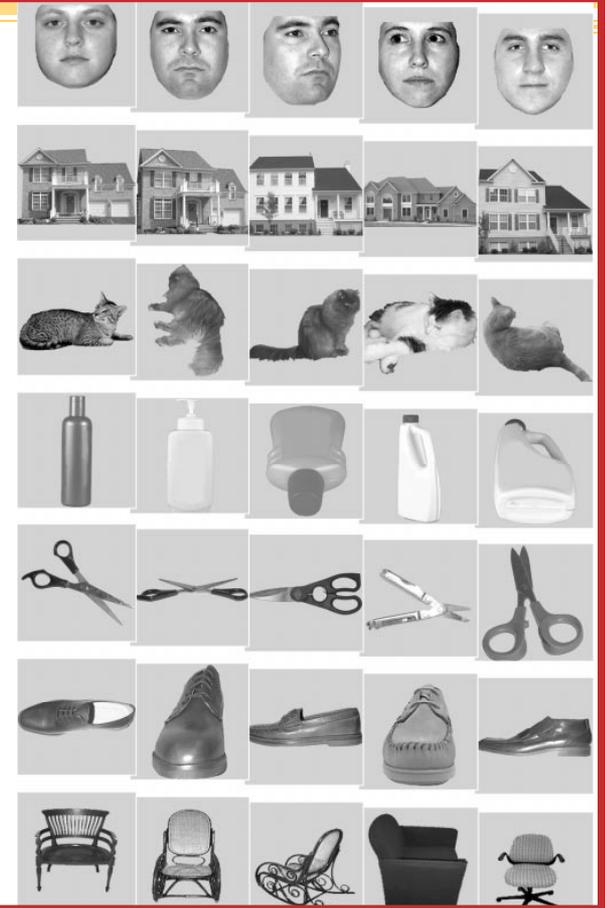
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One Vs. All (OVA) strategy

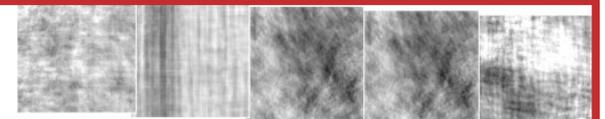


- ❑ Most of previous studies used **One vs. All (OVA) strategy** for training binary classification.
- ❑ While (non-)linear SVM is mostly used for creating classification method, the OVA strategy generate an **imbalance sampling**.

Large Class



Small Class



Ensemble Approach



- ❑ Each iteration contains all samples of small class, randomized selected samples from large class, and the samples that made errors in the pervious iteration.
- ❑ The number of randomized selected samples from large class is equal to the number of samples in the small class.
- ❑ Randomize sampling is without replacement.

Ensemble Approach



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Iteration #1

**Small
Class**

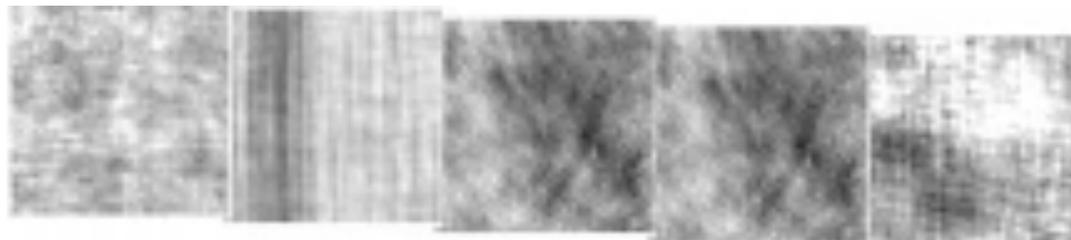


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Iteration #1

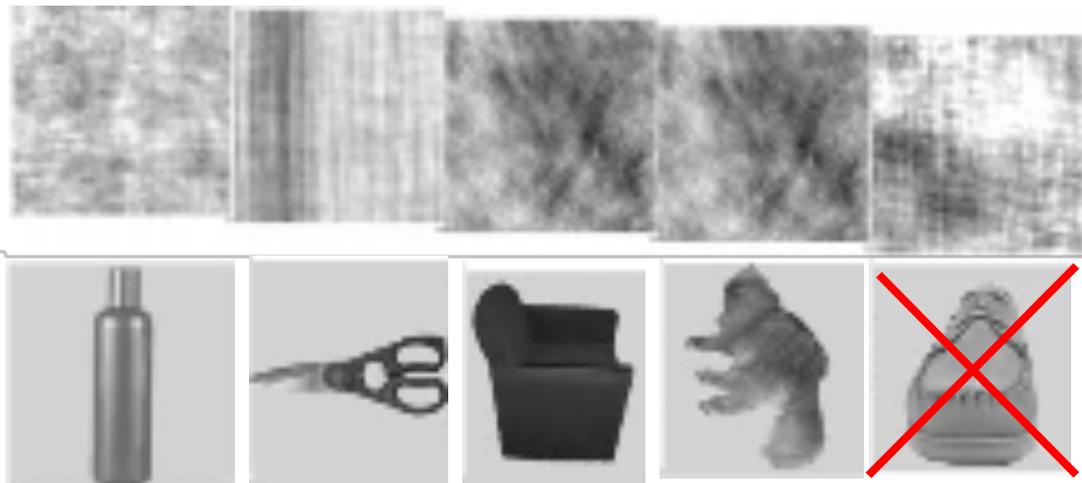


Ensemble Approach



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Ensemble Approach



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- ❑ Randomize sampling is without replacement.

Iteration #2

Small Class		samples that made errors 
Selected Large Class		

A modified version of AdaBoost algorithm



Algorithm 1 The proposed binary classification algorithm

Input: Data set G_{tr} : is train set, I_{tr} : denotes real class labels of the train sets,

Output: Classifier E ,

Method:

1. Partition $G_{tr} = \{G_{tr}^S, G_{tr}^L\}$, where G_{tr}^S, G_{tr}^L are Small and Large classes.
 2. Calculate $J = \text{Int}(|G_{tr}^S| / |G_{tr}^L|)$ based on number of elements in classes.
 3. Randomly sample the $G_{tr}^L = \{G_{tr}^L(1), \dots, G_{tr}^L(J)\}$.
 4. By considering $\bar{G}_1 = \bar{I}_1 = \emptyset$, generating $j = 1, \dots, J + 1$ classifiers:
 5. Construct $G_j = \{G_{tr}^S, G_{tr}^L(j), \bar{G}_j\}$ and $I_j = \{I_{tr}^S, I_{tr}^L(j), \bar{I}_j\}$
 6. Calculate $W_j = \{w_j\}_{|G_j|} = \begin{cases} 1 & \text{for instances of } G_{tr}^S \text{ or } \bar{G}_j \\ 1 - |corr(G_{tr}^S, G_{tr}^L)| & \text{for instances of } G_{tr}^L(j) \end{cases}$
 7. Train $\theta_j = \text{Classifier}(G_j, I_j, W_j)$.
 8. Construct $\bar{G}_{j+1}, \bar{I}_{j+1}$ as the set of instances cannot truly trained in θ_j .
 9. **If** ($j \leq J + 1$): go to line 5; **Else:** return $\Theta_p = \{\theta_1, \dots, \theta_{J+1}\}$ as final classifier.
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Multi-class Approach

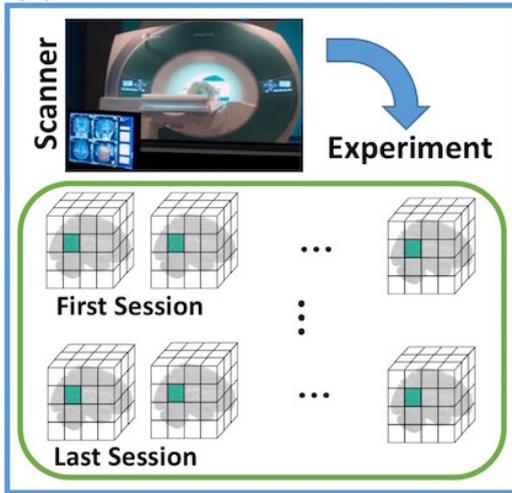


- ❑ This paper utilizes **Error-Correcting Output Codes (ECOC)** method for applying multi-class classification.
- ❑ Our method uses a **one-versus-all** encoding strategy for training the ECOC method, where **an independent category of the visual stimuli** is compared with the rest of categories.
- ❑ Indeed, **the number of classifiers** in this strategy is exactly equal to **the number of categories**.
- ❑ This method also assigns the brain response to the category with **closest hamming distance** in decoding stage.

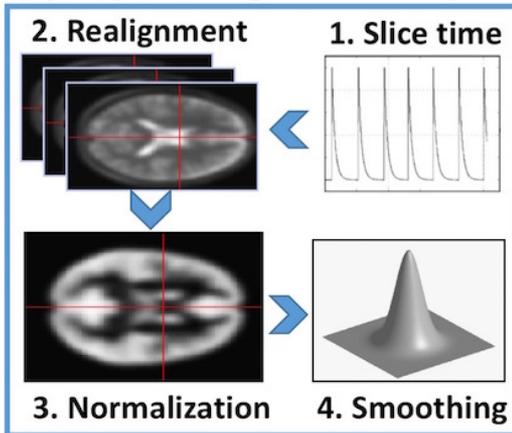
Summary



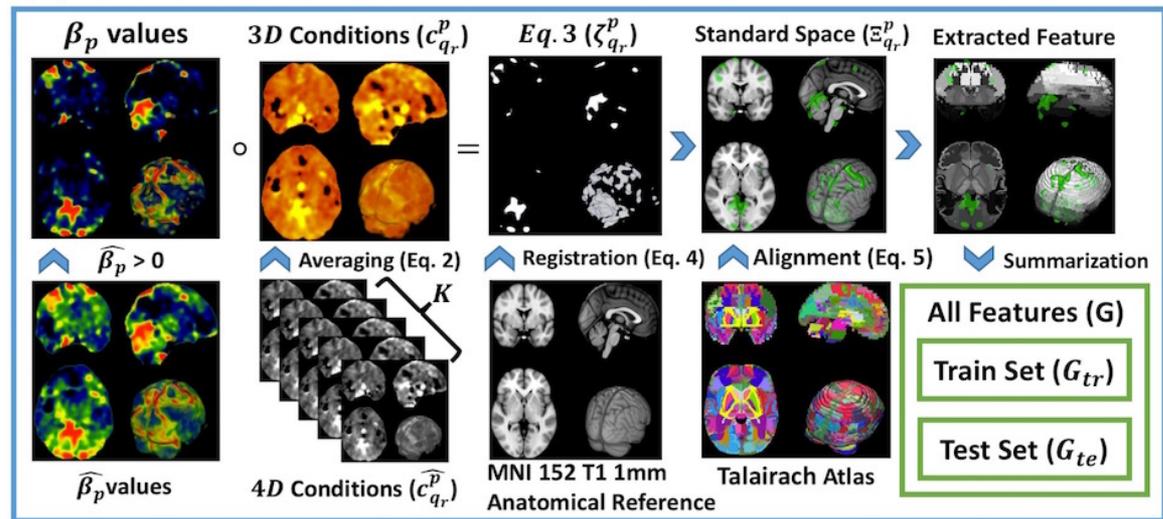
(a) fMRI dataset



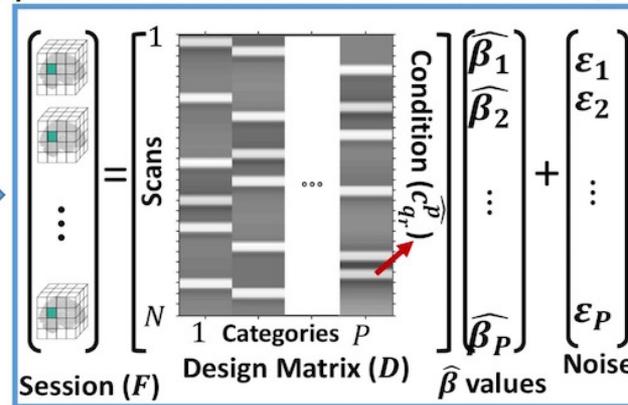
(b) Preprocessing



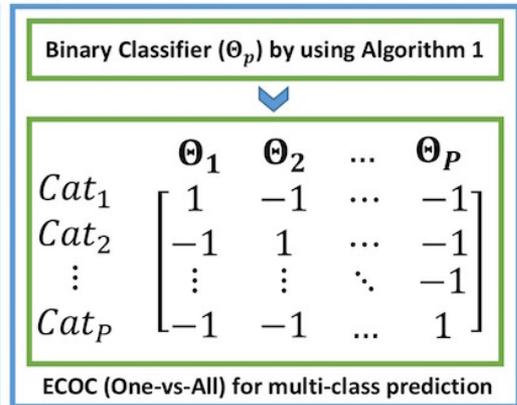
(d) Feature Extraction for each condition



(c) General Linear Model for each session



(e) Predictive Models



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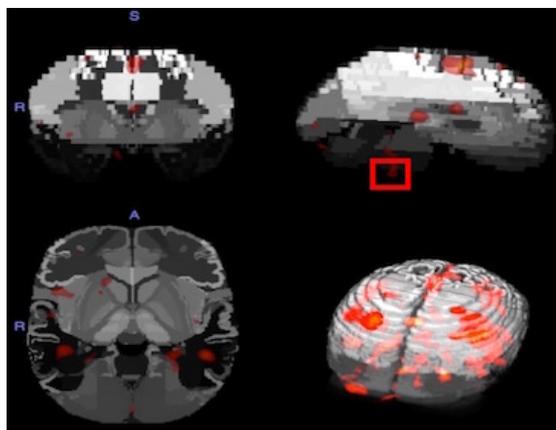
Data Sets



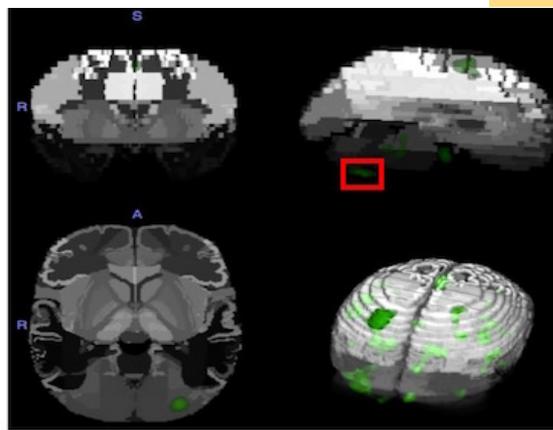
- This paper employs two datasets, shared by openfmri.org, for running empirical studies.

Title	ID	# of Subjects	# of Samples	# of Stimuli
Visual Object Recognition	DS105	6	568	8
Word and Object Processing	DS107	49	1568	4

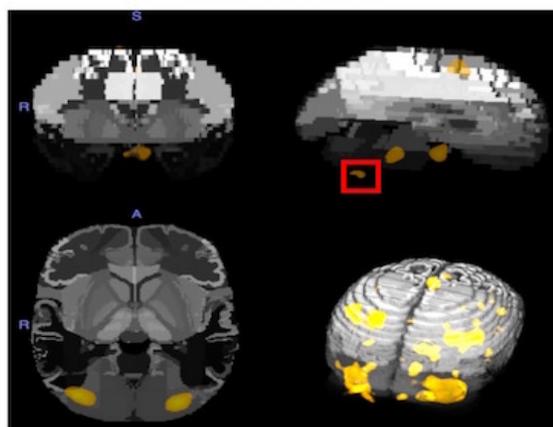
The Error of Registration



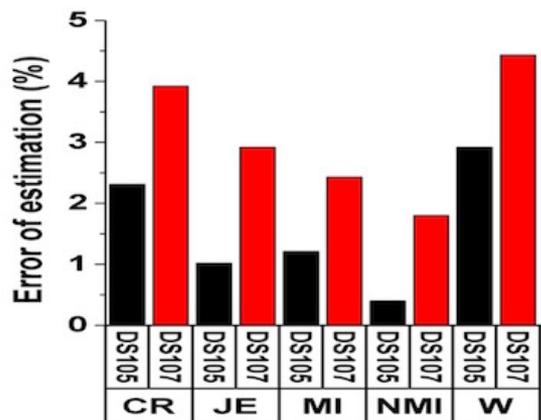
(a) Word



(b) Object



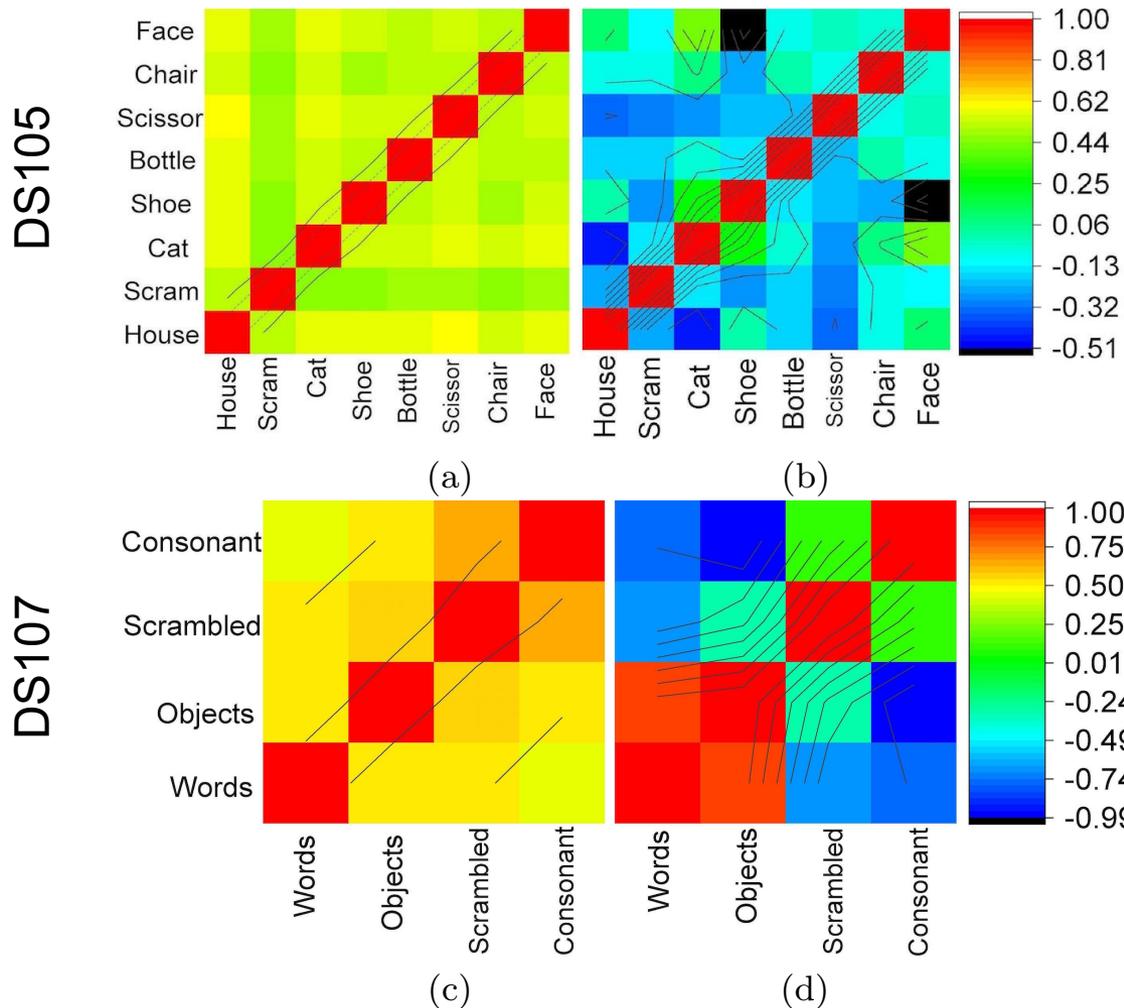
(c) Scramble



(d) Registration

- Woods function (W)
- Correlation Ratio (CR)
- Joint Entropy (JE)
- Mutual Information (MI)
- Normalized MI (NMI)

Correlation Analysis



Binary Classification (OVA)



Table 1: Accuracy of binary predictors

Data Sets	Cox & Savoy	McMenamin et al.	Mohr et al.	Osher et al.	Binary-APA
DS105-Objects	71.65±0.97	83.06±0.36	85.29±0.49	90.82±1.23	98.37±0.16
DS107-Words	69.89±1.02	89.62±0.52	81.14±0.91	94.21±0.83	97.67±0.12
DS107-Consonants	67.84±0.82	87.82±0.37	79.69±0.69	95.54±0.99	98.73±0.06
DS107-Objects	65.32±1.67	84.22±0.44	75.32±0.41	95.62±0.83	95.06±0.11
DS107-Scramble	67.96±0.87	86.19±0.26	78.45±0.62	93.1±0.78	96.71±0.18

Table 2: Area Under the ROC Curve (AUC) of binary predictors

Data Sets	Cox & Savoy	McMenamin et al.	Mohr et al.	Osher et al.	Binary-APA
DS105-Objects	68.37±1.01	82.22±0.42	80.91±0.21	88.54±0.71	96.25±0.92
DS107-Words	67.76±0.91	86.35±0.39	78.23±0.57	93.61±0.62	97.02±0.2
DS107-Consonants	63.84±1.45	85.63±0.61	77.41±0.92	94.54±0.31	96.92±0.14
DS107-Objects	63.17±0.59	81.54±0.92	73.92±0.28	94.23±0.94	95.17±0.03
DS107-Scramble	66.73±0.92	85.79±0.42	76.14±0.47	92.23±0.38	96.08±0.1

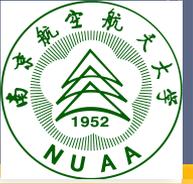
Multi-class Classification



Table 3: Accuracy of multi-class predictors

Data Sets	Cox & Savoy	McMenamin et al.	Mohr et al.	Osher et al.	Multi-APA
DS105 (P=8)	18.03±4.07	38.34±3.21	29.14±2.25	50.61±4.83	57.93±2.1
DS107 (P=4)	38.01±2.56	71.55±2.79	64.71±3.14	89.69±2.32	94.21±2.41
ALL (P=4)	32.93±2.29	68.35±3.07	63.16±4	80.36±3.04	95.67±1.25

Outline



1 Preliminaries

2 The Proposed Method

2.1 Feature Extraction

2.2 Classification Algorithm

3 Experiments

4 Conclusion

Conclusion



- ❑ This paper proposes Anatomical Pattern Analysis (APA) framework for decoding visual stimuli in the human brain.
 - ✓ A new feature extraction method.
 - ✓ A customized classification algorithm.

- ❑ In future, we plan to apply the proposed method to **different brain tasks** such as low-level visual stimuli, emotion and etc.

- ❑ M. Yousefnezhad, D. Zhang, **Local Discriminant Hyperalignment for multi-subject fMRI data alignment**. 34th AAAI Conference on Artificial Intelligence (**AAAI-17**), San Francisco, California, USA, February/4-9, 2017.

Thanks for your attention!

For more details, contact:

myousefnezhad@nuaa.edu.cn

myousefnezhad@outlook.com

<https://myousefnezhad.github.io>